

# Functional Programming in Python

Programming 2  
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# Solution: mysum

```
def mysum(lst):  
    """  
    >>> mysum([10, 20, 30])  
    60  
    >>> mysum([1, 0, -10, 5, 9])  
    5  
    """  
  
    if lst == []:  
        return 0  
    else:  
        return lst[0] + mysum(lst[1:])
```

# Solution mymax

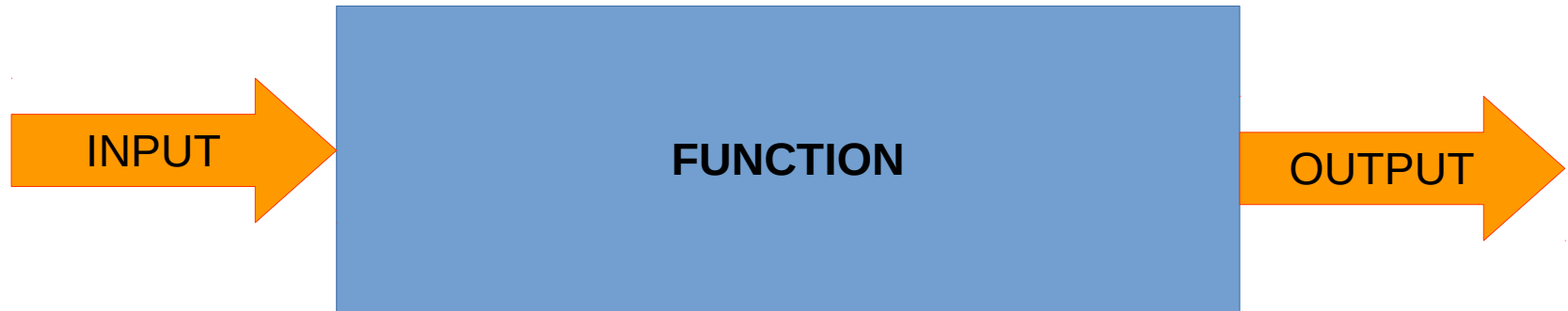
```
def mymax(lst):  
    """  
    >>> mymax([1])  
    1  
    >>> mymax([5,6,7,100,200])  
    200  
    """  
    if len(lst)==1:  
        return lst[0]  
    else:  
        mx = mymax(lst[1:])  
        if mx > lst[0]:  
            return mx  
        else:  
            return lst[0]
```

# Solution mymerge

```
def mymerge(lst1, lst2):  
    """  
    >>> mymerge([1,2,5,6,10],[2,3,4,5,8,9,12])  
    [1, 2, 2, 3, 4, 5, 5, 6, 8, 9, 10, 12]  
    """  
    if lst1 == []:  
        return lst2  
    if lst2 == []:  
        return lst1  
    if lst1[0] <= lst2[0]:  
        return [lst1[0]] + mymerge(lst1[1:], lst2)  
    else:  
        return [lst2[0]] + mymerge(lst1, lst2[1:])
```

# What is functional programming?

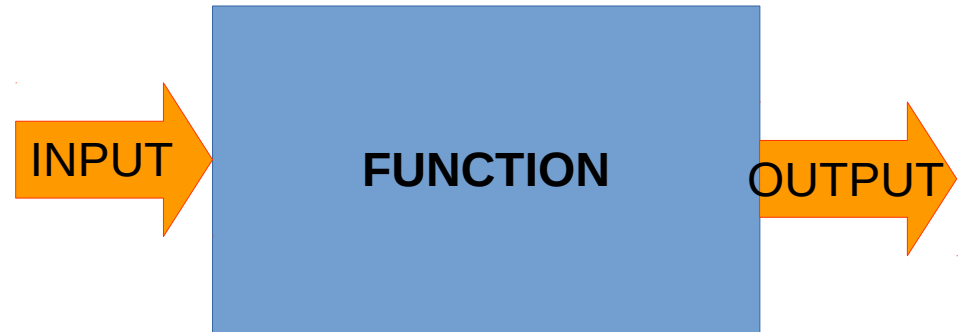
- Computation = function
  - Think of functions as *mathematical* functions, where there is no state changes or *mutable* data.
  - Declarative programming



# What is functional programming?

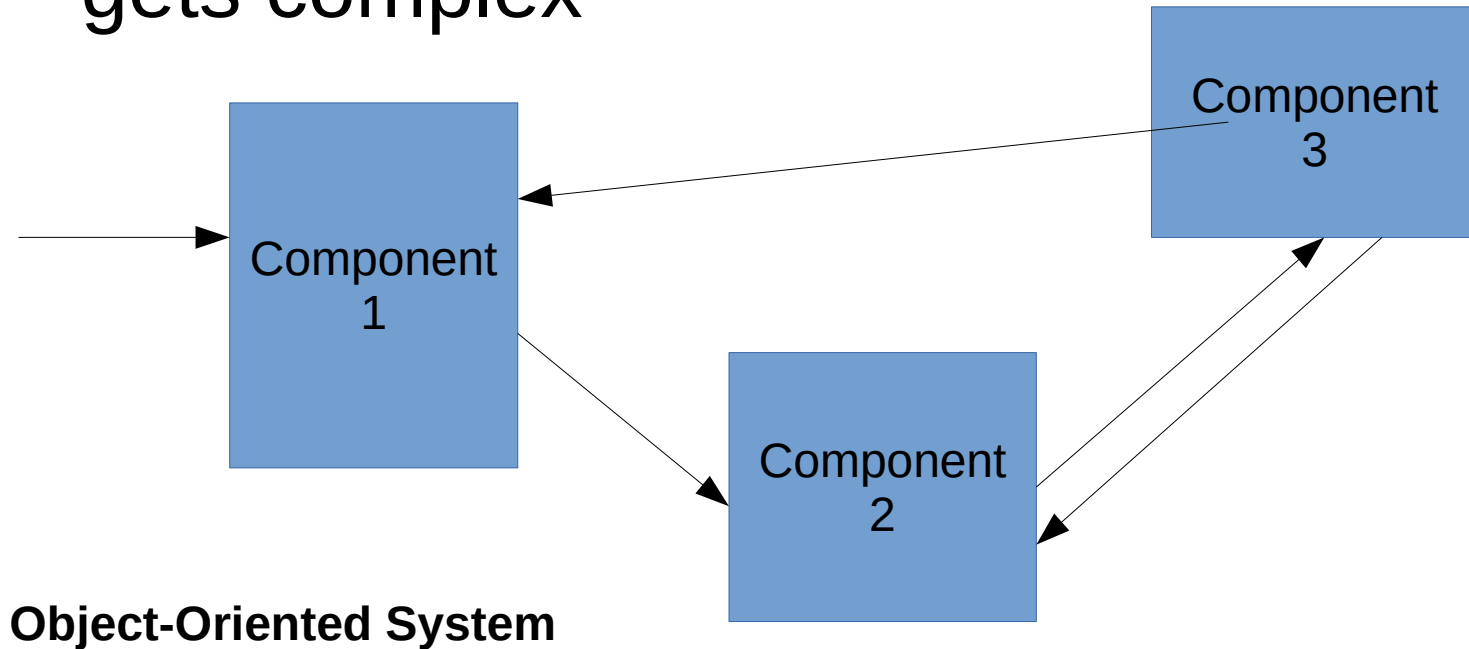
- No side effects.
- The same input produces the same output every time.

```
>>> f(5)
12
>>> f(5)
12
>>> f(6)
15
>>> f(5)
12
```



# Why?

- Much simpler to think about when your system gets complex



```
>>> c.reset()
0
>>> c.add(1)
1
>>> c.add(1)
2
>>> c.add(1)
3
```

# Higher-order functions

- Functions that
  - takes functions as arguments, or
  - returns a function



# compose

```
def square(x):  
    return x*x  
def plus_one(x):  
    return x+1  
def compose(f,g):  
    def h(x):  
        return f(g(x))  
  
    return h
```

```
>>> square(10)  
100  
>>> plus_one(100)  
101  
>>> k = compose(plus_one, square)  
>>> k(10)  
101  
>>> compose(square, plus_one)(10)  
121
```

# Lambda

```
def compose(f,g):  
    return lambda x: f(g(x))
```

```
>>> square = lambda x: x*x  
>>> square(10)  
100  
>>> (lambda x: x+1)(100)  
101  
>>> k = compose(lambda x: x+1, square)  
>>> k(10)  
101
```

# Important higher-order functions

- map
- filter
- reduce (in functools)

# Exercises 1

- `occurs_in(x, lst)`
  - returns True if **x** is in **lst**.
- `myzip`
  - `myzip([1,2,3],[100,200,300]) => [(1,100), (2,200), (3,300)]`
- `are_same_list(lst1, lst2)` --- use **“zip”**
  - `are_same_list([1,2,3],[1,2,3]) => True`
  - `are_same_list([1,2],[1]) => False`

# Exercises 2

- `apply_n_times(f, n)`
  - takes function `f` and returns a function that takes `x` and apply `f` for `n` times.
  - e.g. `apply_n_times(lambda x: x + 1, 10)` returns a function that takes a number and add 10 to it
  - try to write with `reduce`

# Exercise 3

- factorial(n)
  - returns n!
  - hint: you may want to use `range(1,n+1) = [1,2,3,...,n]` with reduce

# Exercise 4

- `polyev(f,x)` – evaluate polynomial  $f$  at  $x$ ,  $f(x)$ 
  - $f$  is list of coefficient of a polynomial, e.g.,  $3x^3 + 10x + 5$  is written as `[3,0,10,5]`
  - e.g., `polyev([2,1,1], 5)` evaluate polynomial  $2x^2 + x + 1$  at  $x=5$

# Partial functions

```
def add(x,y):  
    return x+y
```

```
>>> from functools import partial  
>>> g = partial(add, b=100)  
>>> g(50)  
150
```